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6E6022	6E6022
B.Tech. VI Semester (Main/Back) Examination, May 2015 Computer Science & IT 6CS2A Design and Analysis of Algorithms	
6E 6022	

Time : 3 Hours

Maximum Marks : 80
Min. Passing Marks : 24

Instructions to Candidates:

Attempt any five questions, selecting one question from each unit. All questions carry equal marks. (Schematic diagrams must be shown wherever necessary. Any data you feel missing suitably be assumed and stated clearly. Units of quantities used/calculated must be stated clearly.

Unit - I

1. a) Derive the recurrence relation for merge sort algorithm's time complexity. (8)
Also, solve it
- b) Solve the following optimal merge pattern problem using greedy approach (8)
5,4,7,2,9,11,4,8

OR

1. a) Describe strassen's method of matrix multiplication (8)
- b) consider a knapsack of capacity 10 and items with prices as (40,30,20,50) and weights (5,4,6,3). What is the maximum profit that can be earned if fractional items are allowed (8)

Unit - II

2. a) Solve the following instance of LCS problem through dynamic programming (8)
x=ABDCDCBCAD
y=BACCCACBBB
- b) Compare dynamic programming and divide and conquer approach (4)
- c) State lower bound theory (4)



Unit - V

5. Write short notes on any two
 a) Complexity classes of decision problems.
 b) Approximation algorithms.
 c) Cook's theorem and its applications.

(8+8)

OR

2. a) Find the optimal parenthesization of multiplication of a matrix chain specified by (4, 16, 10, 8, 20). Show all tables and decision steps involved (12)
 b) What is backtracking (4)

Unit - III

3. a) Find the pattern ABCBC in the text ACABABCBCBCA using KMP matcher (10)
 b) Discuss the formulation of simple assignment problem of size n (6)

OR

3. a) Describe Boyer moore pattern matching algorithm with appropriate examples of good prefix and bad character (10)
 b) What is importance of Rabin Karp string matching algorithm (6)
 4. a) Compare Las Vegas and Monte carlo algorithmic approaches (6)
 b) Give a randomized solution for Min-cut of following graph (8)

Unit - IV



- c) State multicommodity flow problem (2)

OR

4. a) Solve $f = (x_1 \vee x_2)(x_3 \vee x_4)(x_1 \vee x_2)(x_1 \vee x_2)(x_1 \vee x_2)(x_1 \vee x_2)$ using a randomized algorithm. (10)
 b) Briefly describe flow shop scheduling and network capacity assignment problem (6)